# Discussion of "A Model of Moral-Hazard Credit Cycles" by Roger Myerson

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- Moral hazard in investment
  - bankers pick projects, face moral hazard
- Bankers live *n* periods,  $1 < n < \infty$
- Investors sign optimal long term contract with bankers
  - investment cycles emerge in equilibrium
  - may be suboptimal for the "workers" who cannot invest

#### Simple version of the model

- Two technologies
  - $\bullet\,$  simple risk-free saving with rate  $(1+\rho)$
  - sophisticated with return F(K, L)
- A banker is needed to deliver investment K into sophisticated technology
  - no effort of banker is needed
  - banker can run away with capital before investing
- OLG bankers live for two periods, young and old.
- ullet Risk neutral, have discount factor  $\left(1+
  ho
  ight)^{-1}$  .

- Optimal static contract
  - Pay  $b \ge K$  to banker if he makes an investment
  - Return on investment  $\frac{1}{1+\rho}F(K,L) b$
- Optimal dynamic contact
  - Postpone paying b by one period with interest
  - Pay  $(1+
    ho)\,b$  in period 2 if banker also makes investment  ${\cal K}^{o} \leq (1+
    ho)\,b$
  - If investors promise b to banker when old
    - banker invests  $\frac{1}{1+\rho}b$  when young
    - banker invests b when old

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# Putting everything into a model

- Consumers have utility c v(L)
- $\bullet~{\rm Discount}~{\rm factor}~{(1+\rho)}^{-1}$
- Treat them as if infinitely lived
  - in the paper they also OLG
  - do not think it matters

## Social Planner's problem

• Planner solves

$$\max \sum_{t=0}^{\infty} \left(\frac{1}{1+\rho}\right)^t [c_t - v(L_t)]$$

s.t.

$$\begin{split} \mathcal{K}_{1,t+1} + \mathcal{K}_{2,t+1} + c_t + b_t &\leq F(\mathcal{K}_{1,t,}\mathcal{L}_t) + (1+\rho) \, \mathcal{K}_{2,t} \\ h_t^o + h_t^y &\geq \mathcal{K}_{1,t} \\ b_t &\geq h_t^o \\ b_t &\geq (1+\rho) \, h_{t-1}^y \\ b_0 \text{ is given} \end{split}$$

• Last constraint: implicit promised made to the initial old bankers

key for understanding cycles

#### Cycles

• First order conditions

$$1 = \left(\frac{1}{1+\rho}\right) F_{\mathcal{K}}(t+1) - \mu_t$$

Using other FOCs can show

$$\mu_{t+1} = 1 - \mu_t$$

• Thus,  $\mu_t$  follows a cycles

• Initial multiplier  $\mu_0$  is pinned down by  $b_0$  promised to the initial old banker

- there is unique b<sub>0</sub> leadings to constant investments
- any other b<sub>0</sub> lead to cycles

• Conjecture: same cycles emerge with aggregate shocks for any b<sub>0</sub>

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- Suppose hired a lot of young bankers yesterday  $\Longrightarrow$   $b_0$  is high
- Today they all work for free  $\implies$  invest a lot, need to hire few young bankers
- $\bullet\,$  Tomorrow there are few old bankers working for free  $\Longrightarrow$  need to hire more costly young bankers
- Since overall investment is more costly tomorrow, investment tomorrow is low
- Day after tomorrow the cycle repeats itself

- Cycles are a generic property of the solution
  - cycles also Pareto efficient
- What if we could choose  $b_0$ ?
  - set  $b_0 = 0$
  - it is always better to hire young banker since tomorrow he will work for free
- The biggest cycle of all seems the most efficient
- It also lies in the background of some of the policy experiments in the paper

• The paper focuses on welfare of workers

$$F_L(K_t, L_t)L_t - v(L_t)$$

- ignore bankers
- Considers OLG workers
  - cycles are Pareto efficient
  - elimination of cycles may be desirable if focus on average welfare

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## Conclusion

- Fascinating paper
- Optimal contracts naturally lead to cycles
  - examples in the paper: slow growth, then sudden crash
- Not sure about applications to the financial crisis in Japan and the US

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